## Sociology 63993 Exam 2 Answer Key March 28, 2014

- I. True-False. (20 points) Indicate whether the following statements are true or false. If false, briefly explain why.
- 1. A researcher runs the following regression:
- . reg income black educ

	SS	df	MS		Number of obs F( 2, 531)		
Model   Residual		2 3 531 1	33429.7606 L31.051749		Prob > F R-squared Adj R-squared Root MSE	= = =	0.0000
	Coef.				[95% Conf.	 In	terval]
black	.0175821 3.499835		0.00 78 21.55	0.997	-10.1936 3.180736 9731727	3	0.22877 .818935 9731726

Based on these results, the researcher should conclude that a person's race has no effect on his or her income.

False. While the direct effect of race on income does not significantly differ from 0, race could have an indirect effect, e.g. race affects education which in turn affects income. Remember that a simple regression model like this is only telling you the estimated direct effect, not any possible indirect effects.

- 2. A researcher runs the following:
- . gen edmale = ed \* male
- . reg warm male ed edmale

Source	SS +	df	MS	Number of obs F( 3, 2289)	
Model Residual	144.755012	3 48.2	516706	Prob > F R-squared Adj R-squared	= 0.0000 $= 0.0733$
Total	1974.75098	2292 .861	584198	Root MSE	= .89413
warm		Std. Err.		 [95% Conf.	Interval
	1				

This means that the estimated effect of education is positive for both men and women.

True. While the effect of education is smaller for men than for women, it is still positive for both (.0776 for women, .0776 - .0324 = .0452 for men).

3. A researcher has run the following commands:

```
reg y x1 x2 x3
est store m1
reg y x1 x4
est store m2
```

She can now use an incremental F test or a Likelihood Ratio test to determine which of her two regression models is better.

False (unless, say, x4 = x2 + x3, but nothing in the problem indicates that this is the case). The second model is not a special/constrained case of the first model (i.e. the models are not nested), so it is not appropriate to use incremental F tests or Likelihood Ratio tests to compare them.

4. A model includes two independent variables: education, measured in years, and income, measured in thousands of dollars. If the researcher wishes to compare the effects of these two variables, she should test the hypotheses

$$H_0$$
:  $\beta_{education} = \beta_{income}$ 
 $H_A$ :  $\beta_{education} \neq \beta_{income}$ 

False. The variables are measured in totally different metrics, so it is kind of silly to test whether their slope coefficients are equal. Instead, she might want to look at something like the standardized coefficients or the squared semipartials.

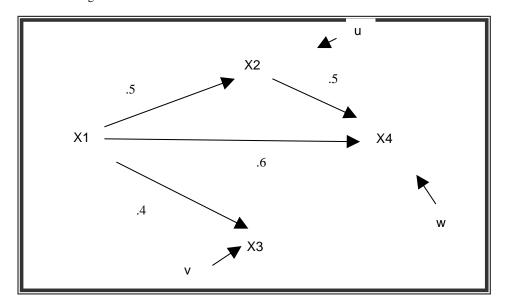
5. A researcher has inadvertently omitted an important variable from her model. Fortunately, as the sample size gets bigger and bigger, the omitted variable bias will diminish and eventually disappear.

False. The formula for omitted variable bias does not include sample size, so the bias is the same regardless of the sample size:

$$E(b_1^*) = \beta_1 + \beta_2 \frac{\sigma_{12}}{\sigma_1^2}$$

A larger sample size can help if the model includes extraneous variable. Extraneous variables increase standard errors while larger sample sizes reduce them.

II. Path Analysis/Model specification (25 pts). A sociologist believes that the following model describes the relationship between X1, X2, X3, and X4. All her variables are in standardized form. The estimated value of each path in her model is included in the diagram.



a. (5 pts) Write out the structural equation for each endogenous variable, using both the names for the paths (e.g.  $\beta_{42}$ ) and the estimated value of the path coefficient.

$$X_{2} = \beta_{21}X_{1} + u = .5X_{1} + u$$

$$X_{3} = \beta_{31}X_{1} + v = .4X_{1} + v$$

$$X_{4} = \beta_{41}X_{1} + \beta_{42}X_{2} + w = .6X_{1} + .5X_{2} + w$$

b. (10 pts) Part of the correlation matrix is shown below. Determine the complete correlation matrix. Show your work. (Remember, variables are standardized.)

	 	x1	x2	x3	x4
x1		1.0000			
x2		0.5000	1.0000		
x3		?	?	1.0000	
x4		?	?	?	1.0000

## Here is the complete correlation matrix:

# . corr (obs=100)

To compute by hand,

$$\begin{split} \rho_{31} &= \beta_{31} + \beta_{21}\beta_{32} = .4 + (.5*.0) = .4 \\ \rho_{32} &= \beta_{32} + \beta_{31}\beta_{21} = 0 + (.4*.5) = .2 \\ \rho_{41} &= \beta_{41} + \beta_{21}\beta_{42} + \beta_{31}\beta_{43} + \beta_{21}\beta_{32}\beta_{43} = .6 + (.5*.5) + (.5*0*0) = .85 \\ \rho_{42} &= \beta_{42} + \beta_{32}\beta_{43} + \beta_{41}\beta_{21} + \beta_{43}\beta_{31}\beta_{21} = .5 + (0*0) + (.6*.5) + (0*.4*.5) = .80 \\ \rho_{43} &= \beta_{43} + \beta_{41}\beta_{31} + \beta_{42}\beta_{32} + \beta_{41}\beta_{21}\beta_{32} + \beta_{42}\beta_{21}\beta_{31} = 0 + (.6*.4) + (.5*.0) + (.6*.4*.0) + (.5*.4*.4) = .34 \end{split}$$

- c. (5 pts) Decompose the correlation between X2 and X4 into
  - Correlation due to direct effects

.5

• Correlation due to indirect effects

0

• Correlation due to common causes

.30

d. (5 pts) Suppose the above model is correct, but instead the researcher believed in and estimated the following model:



What conclusions would the researcher likely draw? In particular, what would the researcher conclude about the effect of changes in X3 on X4? Why would he make these mistakes? Discuss the consequences of this mis-specification.

The researcher would conclude that the direct effect of X3 on X4 is .34 (the same as their correlation). In reality, the model shows that the direct effect of X3 on X4 is zero. There is omitted variable bias because X1 and X2 should be in the model but are not. The correlation between X3 and X4 is due to the fact that X1 is a common cause of both of them. The researcher will therefore believe that increasing X3 will lead to increases in X4, when in reality X3 has neither a direct nor indirect effect on X4.

To confirm above results using Stata commands,

```
. * Problem II, Path analysis
. clear all
. matrix input corr = (1,.5,.4,.85\.5,1,.2,.80\.4,.2,1,.34\.85,.80,.34,1)
. corr2data x1 x2 x3 x4, corr(corr) n(100) clear
(obs 100)
```

#### . corr

(obs=100)

	x1	x2	x3	x4
x1	1.0000			
x2	0.5000	1.0000		
x3	0.4000	0.2000	1.0000	
x4	0.8500	0.8000	0.3400	1.0000

#### . pathreg (x2 x1) (x3 x1 x2) (x4 x1 x2 x3)

Beta		P> t	t	Std. Err.	Coef.	x2
.5				.0874818		
	0.8660	- R2) =	sqrt(1	R2 = 0.2500	n = 100	
Beta		P> t	t	Std. Err.	Coef.	x3
.4 8.48e-10		1.000	0.00	.1074541 .1074541 .0925916	8.48e-10	
	0.9165	- R2) =	sqrt(1	R2 = 0.1600	n = 100	
Beta		P> t	t	Std. Err.	Coef.	x4
.6 .5 2.75e-09		0.000	14.14	.0377964 .0353553 .0334077 .0304651	. <b>5</b> 2.75e-09	x3
	0.3000	- R2) =	sqrt(1	R2 = 0.9100	n = 100	

### . sem (x2 <- x1) (x3 <- x1 x2) (x4 <- x1 x2 x3)

Endogenous variables

Observed: x2 x3 x4

Exogenous variables

Observed: x1

Fitting target model:

Iteration 0: log likelihood = -422.06629Iteration 1: log likelihood = -422.06629

Structural equation model Number of obs = 100

Estimation method = ml

Log likelihood = -422.06629

		Coef.	OIM Std. Err.	Z	P> z	[95% Conf.	Interval]
Structural	L						
_cc	x1   ons		.0866025 .0861684			.3302621 168887	
x3 <-	+-						
	x2   x1   ons			0.00 3.78 -0.00	0.000	2074231 .1925769 1787332	.2074231 .6074231 .1787332
×4 <-	+-						
		.5 2.75e-09 .6 -4.87e-09		14.43 0.00 16.20 -0.00	0.000 1.000 0.000 1.000	.4321049 0641549 .527417 0585042	.5678952 .0641549 .672583 .0585042
var(e. var(e. var(e.	.x3)		.117606			.5627537 .6302842 .0675304	.9796581 1.097217 .117559
LR test of	f mode	l vs. satur	ated: chi2(0	) =	0.00,	Prob > chi2 =	•

#### . estat teffects

Direct effects

	   	Coef.	OIM Std. Err.	z	P> z	[95% Conf.	Interval]
Structura x2 <-	al   						
	x1	.5	.0866025	5.77	0.000	.3302621	.6697379
x3 <-	ı İ						
	x2	8.48e-10	.1058301	0.00	1.000	2074231	.2074231
	x1	.4	.1058301	3.78	0.000	.1925769	.6074231
x4 <-	i I						
	x2	. 5	.034641	14.43	0.000	.4321049	.5678952
	x3	2.75e-09	.0327327	0.00	1.000	0641549	.0641549
	x1	.6	.0370328	16.20	0.000	.527417	.672583

Indi	ract	effects

x4 <-   x2   1.11e-16 (constrained)							
x2 <-		   Coef.		Z	P> z	[95% Conf.	Interval]
x2 <-		-+					
x1   0 (no path)  x3 <-							
x3 <-		1 0	(no path)				
X2							
x1   4.24e-10		1					
x4 <-   x2   1.11e-16 (constrained)							
	x1	4.24e-10	.052915	0.00	1.000	1037115	.1037115
Notal effects   OIM   Coef. Std. Err.   Z   P> z    [95% Conf. Interval]	x4 <-	-+ 					
OIM   OST   OST	x2	1.11e-16	(constrained)				
OIM	x3		-				
OIM	x1	.25	.0484399	5.16	0.000	.1550594	.3449406
Coef. Std. Err. z P> z  [95% Conf. Interval]	Total effect:	3					
x2 <-   x1   .5 .0866025 5.77 0.000 .3302621 .6697379   x3 <-   x2   8.48e-10 .1058301 0.00 1.0002074231 .2074231   x1   .4 .0916515 4.36 0.000 .2203663 .5796337		1	OIM				
x2 <-		Coef.	Std. Err.	Z	P> z	[95% Conf.	<pre>Interval]</pre>
x1   .5 .0866025 5.77 0.000 .3302621 .6697379  x3 <-		   					
x3 <-   x2   8.48e-10 .1058301 0.00 1.0002074231 .2074231 x1   .4 .0916515 4.36 0.000 .2203663 .5796337	x1		.0866025	5.77	0.000	.3302621	.6697379
x1   .4 .0916515		-+ 					
	x2	8.48e-10	.1058301	0.00	1.000	2074231	.2074231
v4 <-	x1	. 4	.0916515	4.36	0.000	.2203663	.5796337
	×4 <-	-+					

III. Group comparisons (25 points). The signup period for the Affordable Care Act will end in a few days. Democratic Party officials are worried that opposition to the act will hurt the party in the mid-term elections. They are therefore trying to identify factors that are related to support for the ACA. In particular, They fear that people who already have insurance through their employers will be less favorable toward the Act. A random sample of more than 4,400 American adults has therefore been asked about the following:

14.43 0.000

0.00 1.000

16.14 0.000

.4321049

.7467525

-.0641549

.5678952

.0641549

.9532475

Variable	Description
aca	Support for the Affordable Care Act. Scores potentially range
	from a low of 0 to a high of 100.
ses	Socio-Economic Scale. The scale has been centered to have a
	mean of zero. Observed values on the centered scale range
	from about -50 to +100.
employer	Does the respondent already have insurance provided by an
	employer? $1 = yes$ , $0 = no$
empses	Interaction term; employer * ses

The results of the analysis are as follows:

x2 |

x3 |

x1 |

. 5

.85

2.75e-09

.034641

.0327327

.0526783

## . ttest aca, by(employer)

Two-sample t t	test with equa			5			
				. Err.	Std. Dev	. [95% Conf.	Interval]
0 1	2112 52.27	996	. 225	52155	10.35011	51.8383 38.04284	52.72163
combined	4432 45.05	565	.189	91882	12.59488	44.68474	45.42655
						13.17936	
diff = mea							= 43.5288
Ha: diff < Pr(T < t) = 1	< 0 L.0000	Pr( 1	Ha: 0	diff != (	0000	Ha: d: Pr(T > t:	iff > 0 ) = 0.0000
. nestreg: reg	g aca ses empl	oyer e	mpses	3			
Block 1: ses							
	SS					Number of obs F( 1, 4430)	
Model     Residual	193909.975 508983.622	1 4430	1939 114	909.975 .894723		Prob > F R-squared Adj R-squared	= 0.0000 = 0.2759
	702893.598					Root MSE	
aca	Coef.	Std.	Err.	t	P> t	[95% Conf.	Interval]
ses	3873433 45.05565	.0094	1286 .009	-41.08 279.83	0.000	405828 44.73999	3688586 45.37131
Block 2: empl	loyer						
Source	SS	df		MS		Number of obs F( 2, 4429)	
	262628.413					Prob > F	= 0.0000

Source	55	aı		MS		Number of obs		
+						F( 2, 4429)	=	1321.00
Model	262628.413	2	1313	14.206		Prob > F	=	0.0000
Residual	440265.185	4429	99.4	050993		R-squared	=	0.3736
+						Adj R-squared	=	0.3734
Total	702893.598	4431	158.	630918		Root MSE	=	9.9702
aca	Coef.	Std.	Err.	t	P> t	[95% Conf.	In	tervall
+								
ses	2387547	.0104	332	-22.88	0.000	2592089		2183004
employer	-9.37911	.3567	215	-26.29	0.000	-10.07846	_8	.679758
cons	49.96529	.2393		208.74	0.000	49.49601	-	0.43457
	13.30323	• 2000	002	200.71	0.000	13.13001	_	

Source	SS	df	MS		Number of obs F( 3, 4428)	
Model   Residual	262637.684 440255.913		45.8948		Prob > F R-squared Adj R-squared	= 0.0000 = 0.3737
Total	702893.598	4431 158	.630918		Root MSE	= 9.9712
aca	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
ses	2352496	.0155117	-15.17	0.000	2656603	204839

+           Block	F	Block df	Residual df	Pr > F	R2	Change in R2	+
i 1	1687.72	1	4430	0.0000	0.2759		İ
2	691.30	1	4429	0.0000	0.3736	0.0978	
3	0.09	1	4428	0.7601	0.3737	0.0000	
+							L

#### . ttest ses, by(employer)

Two-sample t test with equal variances

Group	•	Mean	Std. Err.	Std. Dev.	[95% Conf.	Interval]
0	2112	-9.694785 8.825596	.3044379	13.9909 14.68371	-10.29181 8.227782	-9.097755 9.423411
combined	•	-4.62e-07	.2565389	17.07863	5029449	.5029439
diff		-18.52038	.4318123		-19.36695	-17.67381
diff = Ho: diff =	= mean(0) = 0	- mean(1)		degrees	t of freedom	= -42.8899 = 4430
	iff < 0 ) = 0.0000	Pr(	Ha: diff !=			iff > 0 ) = 1.0000

The initial t-test shows that those with employer-provided health insurance have significantly lower levels of support for the Affordable Care Act. Based on the remaining results, explain to the Democratic Party officials why that is the case. When thinking about your answers, keep in mind the various reasons that two groups can differ on some outcome measure. Specifically, answer the following:

a) (10 pts) The researchers estimate a series of models. Which of the models do you think is best, and why? What do these models tell us about how SES and employer-provided insurance affect the amount of support for the ACA? What ways (if any) do the determinants of support for the ACA differ by those who have and do not have employer-provided insurance?

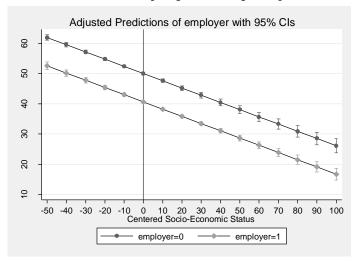
The interaction term in Model 3 is statistically insignificant so there is no need to include it. However, Model 2 is a statistically significant improvement over Model 1, so we should prefer it. Model 2 says that the intercepts differ across the two groups (insured by employer, and not insured) but the effect of SES does not. According to Model 2, on an all other things equal basis those with higher levels of SES tend to be less supportive of the ACA. Also, on an all other things equal basis, those with insurance from their

employer also tend to be less supportive. These results would not be hard to believe. Those with higher SES, and those with insurance through their employers, are probably less likely to need the benefits provided by the ACA and may also have to bear some of the costs of insuring others.

The following graph will also help to show the relationships. It plots the predicted lines separately for those with employer insurance and those without. The line at x = 0 helps with the next question.

```
. quietly reg aca ses i.employer
. quietly margins employer, at(ses = (-50(10)100))
. marginsplot, scheme(sj) xline(0)
```

Variables that uniquely identify margins: ses employer



b) (5 pts) Suppose you had two people with average SES scores, one of whom had insurance through their employer while the other did not. According to your preferred model, what would be the predicted ACA score for each person?

Because SES is centered, an average person has a score of zero on SES. Hence, SES drops out of the calculations and we just need to look at the constant and the coefficient for employer. Those without employer insurance have a value of zero on employer, so their predicted score on ACA is just the value of the constant, 49.97. Those with employer insurance have a value of 1 on employer, so their predicted score on ACA is constant +  $b_{employer} = 49.97 - 9.38 = 40.59$ . The above graph (see the line where ses = 0) also shows this. We can further check our calculations via

. quietly reg aca ses i.employer
. margins employer, at(ses = 0)

Adjusted predictions Number of obs = 4432

Model VCE : OLS

Expression : Linear prediction, predict()
at : ses = 0

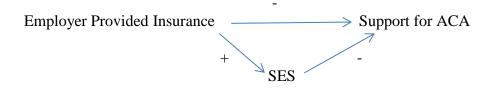
	•	Delta-method Std. Err.		P> t	[95% Conf.	Interval]
employer 0 1	   49.96529   40.58618		208.74 179.15	0.000	49.49601 40.14203	50.43457

c) (10 pts) The researchers then do one last t-test. What does this test tell us about how SES differs between those who have and do not have employer-provided insurance? What additional insights, if any, does this test give us as to why those with insurance from their employers are less supportive of the ACA?

Those with employer provided insurance also have a significantly higher average SES score (18.52 points) than those who do not have such insurance. Their higher SES, in turn, lowers their support for the ACA. Hence, even though the effect of SES is the same for both groups, the differences in their levels of SES further adds to their differences in ACA support.

That is, those with insurance through their employers are less supportive of the ACA because (a) the variable employer has a negative direct effect on ACA support (a difference in effects, specifically, a difference in the intercepts for the two groups), and (b) ses also has a negative direct effect, and those with employer insurance have higher average levels of ses (a difference in composition; those with employer insurance have more of the things that tend to lower support for the ACA).

One other way of thinking about it: Employer provided insurance has a negative direct effect on support for the ACA. It may also have a negative indirect effect: Those with employer provided insurance tend to have higher levels of SES, while those with higher levels of SES have lower levels of support for the ACA.



IV. Short answer. Answer *both* of the following questions. (15 points each, 30 points total.) In each of the following problems, a researcher runs through a sequence of commands. Explain why she didn't stop after the first command, i.e. explain what the purpose of each subsequent command was, what it told her, and why she did not run additional commands after the last one. If she had stopped after the first command, what would the consequences have been, i.e. in what ways would her conclusions have been incorrect or misleading? Include diagrams or scatterplots that describe the relationships if they have not already been provided in the problem.

#### 1.

#### . reg y c.age

Source	SS	df		MS		Number of obs	=	10337
+						F( 1, 10335)	=	15.53
Model	3656.60319	1	3656	5.60319		Prob > F	=	0.0001
Residual	2433370.65	10335	235.	449506		R-squared	=	0.0015
						Adj R-squared	=	0.0014
Total	2437027.25	10336	23	35.7805		Root MSE	=	15.344
у				t		[95% Conf.	Ιn	terval]
age   cons	.034547	.0087	7664	3.94 158.44	0.000	.0173632		0517309
				100.44				

#### . estat ovtest

```
Ramsey RESET test using powers of the fitted values of y Ho: model has no omitted variables F(3,\ 10332) \ = \ 65.30 Prob > F \ = \ 0.0000
```

#### . reg y c.age c.age#c.age

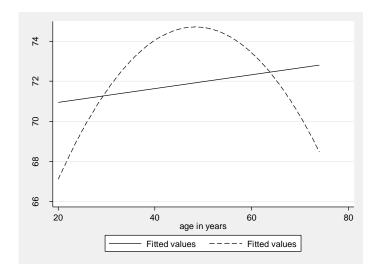
Source	SS	df	MS		Number of obs F( 2, 10334)	
Model	•	2 2	4112.3643		Prob > F R-squared Adj R-squared	= 0.0000 = 0.0198
Total	2437027.25	10336	235.7805		Root MSE	= 15.204
У	Coef.	Std. Er	r. t	P> t	[95% Conf.	Interval]
age	.9165035	.064108	3 14.30	0.000	.7908388	1.042168
c.age#c.age	0094794	.000682	7 -13.89	0.000	0108176	0081412

#### . estat ovtest

```
Ramsey RESET test using powers of the fitted values of y Ho: model has no omitted variables F(3,\ 10331)\ = \qquad 1.09 Prob > F = \qquad 0.3523
```

The researcher started by estimating a model in which age has a linear effect on y. However, she apparently suspected that the effect might be curvilinear, e.g. maybe y initially increases with increases in age but, after some point, additional increases in age actually cause y to decrease. The ovtest command basically tested whether model fit would be improved by adding age<sup>2</sup>, age<sup>3</sup>, and age<sup>4</sup> to the model. The test statistic was highly significant, so she decided to add age<sup>2</sup>. The subsequent ovtest indicated that no additional polynomial terms were needed, so she stopped. She may have also thought that her theory justified a squared term but higher order polynomials made no sense.

Here is a graph of what the linear and quadratic relationships looks like.



If she had simply estimated the linear model, she would have missed the curvilinear relationship. She would have thought that increases in age always produce increases in Y. She would have initially overestimated the predicted values of Y, then underestimated them, and then gone back to overestimating again.

## 2. reg y x

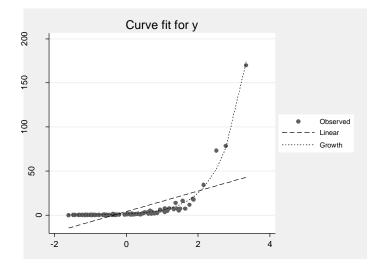
Source	SS	df	MS		Number of obs		100 53.34
Model			4049.5785		F( 1, 98) Prob > F R-squared Adj R-squared	=	0.0000 0.3525 0.3459
Total	39860.0606	99 4	02.626875		Root MSE		16.229
у	Coef.	Std. Er	r. t	P> t	[95% Conf.	Ιn	terval]
x   _cons	11.65543 4.036725	1.59581			8.488591 .7723995	_	4.82226

## . curvefit y x, f(1 0)

Curve Estimation between y and  $\boldsymbol{x}$ 

	Variable	Linear	Growth
b0	_cons	4.0367252	.31302195
		2.45	4.04
		0.0159	0.0001
b1	_cons	11.655426	1.4498163
		7.30	58.10
		0.0000	0.0000
Sta	tistics   N   r2_a	100 .34586516	100 .9826695

legend: b/t/p



#### . glm y x, link(log)

```
Generalized linear models
                                        No. of obs
                                        No. of obs = 100
Residual df = 98
Optimization : ML
                                        Scale parameter = 7.531402
Deviance = 738.0774104
Pearson = 738.0774104
                                        (1/df) Deviance = 7.531402
Pearson
            = 738.0774104
                                        (1/df) Pearson = 7.531402
Variance function: V(u) = 1
                                        [Gaussian]
Link function : g(u) = ln(u)
                                        [Log]
                                                    = 4.876756
                                        AIC
                                                    = 286.7707
Log likelihood = -241.8377796
                                        BIC
                      OTM
             Coef. Std. Err. z P>|z| [95% Conf. Interval]
       УΙ
_____
       x | 1.449816 .0237301 61.10 0.000 1.403306 1.496327
     cons | .3130218 .0738521 4.24 0.000
                                             .1682745 .4577692
```

The researcher initially estimated a model where x had a linear effect on y. However, she then used curvefit to also estimate an exponential growth model and plotted the observed points and the lines for the linear and the growth models. The observed points corresponded much more closely to the growth model than to the linear model, so she went with it. Specifically, she estimated a generalized linear model with link log. As the graph shows, had she stuck with the linear model, she would initially underestimate the values for y, then overestimate them, then go back to underestimating them.

### Appendix: Stata Code used in the exam

```
version 12.1
* Problem I - 1
clear all
matrix input corr = (1, .3, .2101 \setminus .3, 1, .7 \setminus .2101, .7, 1)
corr2data black educ income, corr(corr) n(534) sd(.1 3.2 16) clear
pathreg (educ black) (income black educ)
reg income black educ
* Problem I - 2
sysuse ordwarm2,clear
gen edmale = ed * male
reg warm male ed edmale
* Problem II, Path analysis
clear all
matrix input corr = (1,.5,.4,.85 \setminus .5,1,.2,.80 \setminus .4,.2,1,.34 \setminus .85,.80,.34,1)
corr2data x1 x2 x3 x4, corr(corr) n(100) clear
pathreg (x2 x1) (x3 x1 x2) (x4 x1 x2 x3)
sem (x2 <- x1) (x3 <- x1 x2) (x4 <- x1 x2 x3)
estat teffects
* Part III - Interaction effects
* Generate the variables by manipulating nhanes2f
* The manipulations produce the kind of relationships desired for the problem!
```

```
clear all
webuse nhanes2f, clear
keep health weight female
keep if !missing(health, weight, female)
set seed 123456
sample 4432, count
gen employer = female
replace weight = weight + (30 * employer)
center weight, gen(ses)
label variable ses "Centered Socio-Economic Status"
gen empses = employer * ses
gen aca = (rnormal(0, 30) - .7*ses - 30*employer - .01* empses + 150) / 3
label variable aca "Support for Affordable Care Act"
* Do analyses
ttest aca, by(employer)
nestreg: reg aca ses employer empses
ttest ses, by(employer)
* Additional analysis. This will plot the relationships
quietly reg aca ses i.employer
quietly margins employer, at(ses = (-50(10)100))
marginsplot, scheme(sj) xline(0)
quietly reg aca ses i.employer
margins employer, at (ses = 0)
* Problem IV - 1
webuse nhanes2f, clear
clonevar y = weight
reg y c.age
estat ovtest
reg y c.age c.age#c.age
estat ovtest
twoway lfit y age || qfit y age , sort scheme(sj)
* Problem IV - 2
clear all
set obs 100
set seed 12345
gen x = rnormal()
gen e = rnormal()
gen y = \exp(1.5*x+.3*e)
reg y x
curvefit y x, f(1 \ 0)
* Graph was manually converted to SJ scheme
glm y x, link(log) nolog
```