# Sociology 63993 Exam 2 April 1, 2011

- I. True-False. (20 points) Indicate whether the following statements are true or false. If false, briefly explain why.
- 1. A researcher computes a variable  $X_4 = X_2 + X_3$ . She then estimates the following two models using OLS regression:

$$Y=\beta_1X_1+\beta_2X_2+\beta_3X_3+\epsilon$$

$$Y = \beta_1 X_1 + \beta_4 X_4 + \epsilon$$

She can use an incremental F test to determine which of these two models is better.

- 2. A researcher runs the following:
- . webuse nhanes2f, clear
- . gen femage = female \* age
- . reg health female age femage

Source	SS	df		MS		Number of obs F( 3, 10331)		10335 549.60
Model   Residual   	2069.28161 12965.7398	10331	1.2	2550324		Prob > F R-squared Adj R-squared Root MSE	= = =	0.0000 0.1376 0.1374 1.1203
health				t	P> t			
female   age   femage   _cons	2752255 0280887 .0043295 4.78594	.0648 .0009 .0012 .0469	315 822	-4.24 -30.15 3.38 101.91	0.000 0.000 0.001 0.000	4023191 0299146 .0018162 4.693886		1481319 0262627 0068428 .877994

These results show that age has a negative effect on the health of males and a positive effect on the health of females.

- 3. A researcher has included several extraneous variables in her model. The larger her sample, the more serious this problem will be.
- 4. A researcher regresses income on education. She does not include any dummy variables or interaction terms involving gender. One implication of this model is that, if it is true, the mean income for men will be the same as the mean income for women.

5. A researcher is interested in the relationship between bmi (Body Mass Index) and health. She does the following:

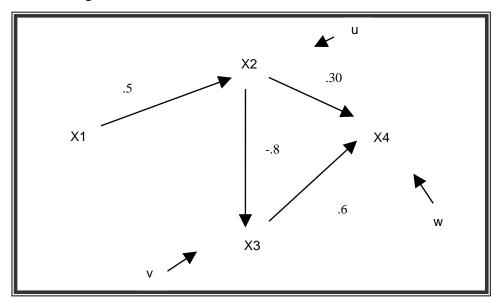
```
. webuse nhanes2f, clear
. gen bmi = weight/ (height/100)^2
. gen bmi2 = bmi * bmi
. reg health bmi bmi2
```

 Source    Model   Residual	316.928298 14718.0931	10332	158. 1.4			Number of obs F( 2, 10332) Prob > F R-squared		111.24 0.0000 0.0211
 Total						Adj R-squared Root MSE		1.1935
 health	Coef.	Std.	Err.	t	P> t	[95% Conf.	In	terval]
 bmi   bmi2   _cons	.0072049 0007416 3.731409	.0152 .0002 .214	2646	0.47 -2.80 17.37	0.637 0.005 0.000		-	0370892 .000223 .152429

Based on these results, she should conclude that bmi is not related to health.

## II. Path Analysis/Model specification (25 pts).

A sociologist believes that the following model describes the relationship between X1, X2, X3, and X4. All her variables are in standardized form. The estimated value of each path in her model is included in the diagram.



a. (5 pts) Write out the structural equation for each endogenous variable, using both the names for the paths (e.g.  $\beta_{42}$ ) and the estimated value of the path coefficient.

b. (10 pts) Part of the correlation matrix is shown below. Determine the complete correlation matrix. (Remember, variables are standardized. You can use either normal equations or Sewell Wright, but you might want to use both as a double-check.)

	x	1 x2	x3	x4
x1 x2	1.000   1.000			
x3	?	?	1.0000	
x4	. ?	?	?	1.0000

- c. (5 pts) Decompose the correlation between X3 and X4 into
  - Correlation due to direct effects
  - Correlation due to indirect effects
  - Correlation due to common causes
- d. (5 pts) Suppose the above model is correct, but instead the researcher believed in and estimated the following model:



What conclusions would the researcher likely draw? In particular, what would the researcher conclude about the effect of changes in X2 on X4? Discuss the consequences of this misspecification, and in what ways, if any, the results would be misleading. Why would she make these mistakes?

III. Group comparisons (25 points). This week, the Supreme Court heard a landmark gender discrimination case against retail giant Wal-Mart. The plaintiffs based their case, in part, on work done by Sociologist William Bielby. Bielby's devastating arguments have put the fear of God into another company making it wonder if it, too, might face such a lawsuit. It has therefore conducted its own study of gender equity within its work force, collecting data from a random sample of 7500 of its employees on the following variables:

Variable	Description
pay	Annual Salary (in thousands of dollars)
qual	A qualifications scale that the company has constructed
	and believes to be very valid. It takes into account such
	things as past performance, aptitude test scores,
	education, and years of experience. The scale ranges
	from -40 to 40 and has been centered to have a mean of
	0 (i.e. 0 means average qualifications; and the higher the
	score, the more qualified the person is)
female	Coded 1 if female, 0 if male
femqual	female * qual

## The results of the analysis are as follows:

### . ttest pay, by(female)

Two-sample	t	test	with	equal	variances

Group	•	Mean	Std. Err.	Std. Dev.	[95% Conf.	Interval]
0 1	3572 3928	78.1415 47.23287	.2298254	13.73579 14.47273	77.6909 46.78013	78.5921 47.68561
combined	•	61.95362	.241623	20.92516	61.47997	62.42727
diff	•	30.90863	.3266069		30.26839	31.54887
diff =	= mean(0) = 0	- mean(1)		degrees	t = of freedom =	= 94.6356 = 7498

## . nestreg: reg pay qual female femqual

Block 1: q	rual								
Sourc	e	SS	df		MS		Number of obs F( 1, 7498)		
		53171.17 830359.2					Prob > F R-squared Adj R-squared	= 0.00 = 0.44	00
Tota	1   32	83530.37					Root MSE	= 15.6	24
pa							[95% Conf.	Interva	1]
qua	1   1	.438618	.0186	459	77.15	0.000	1.402067 61.59996		
Block 2: f	emale								
Sourc	e	SS	df		MS		Number of obs	= 75	00

Source	SS	df	MS	Number of obs	=	7500
				F( 2, 7497)	=	5296.84
Model	1922795.12	2	961397.559	Prob > F	=	0.0000
Residual	1360735.25	7497	181.503969	R-squared	=	0.5856
				Adj R-squared	=	0.5855
Total	3283530.37	7499	437.862431	Root MSE	=	13.472

pay	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
female	.6212315 -22.40072 73.68562	.4403823	-50.87	0.000	.5766715 -23.26399 73.14027	.6657916 -21.53744 74.23098

Block 3: femqual

Source	SS	df	MS		Number of obs F( 3, 7496)	= 7500 = 3605.84
Model   Residual	1939531.43 1343998.94	3 646 7496 179			Prob > F R-squared Adj R-squared	= 0.0000 $= 0.5907$
Total	3283530.37	7499 437	.862431		Root MSE	= 13.39
pay	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval]
qual   female	.8329084 -22.3506	.0314714	26.47 -51.06	0.000	.7712156 -23.20866	.8946012 -21.49253

+	     F	Block df	Residual df	Pr > F	R2	+ Change   in R2
1 2 3	2587.40	1 1 1	7498 7497 7496	0.0000 0.0000 0.0000	0.4426 0.5856 0.5907	0.1430   0.0051

#### . ttest qual, by(female)

Two-sample t test with equal variances

Group	•	Mean	Std. Err.	Std. Dev.	[95% Conf.	Interval]
0 1	3572	7.172654 -6.522586	.1191291 .1050536	7.119893 6.584106	6.939086 -6.728551	7.406222 -6.316621
combined		3.32e-08	.1117328	9.676342	2190275	.2190276
diff		13.69524	.1582456		13.38503	14.00545
diff =	= mean(0) = 0	- mean(1)		degrees	t of freedom	= 86.5442 = 7498
	iff < 0 ) = 1.0000	Pr(	Ha: diff !=			liff > 0 .) = 0.0000

The initial t-test shows that men make substantially more than women. The company then does additional analyses to find out why. It wants your help in answering the following:

- a) (15 pts) The researchers estimate a series of models. Which of the models do you think is best, and why? What do these models tell us about how qualifications and gender affect pay?
- b) (10 pts) Suppose the company was sued on the basis that it discriminated against women. What evidence, if any, do you think the company would cite in its defense? What evidence, if any, would its critics cite? Consider both the t-tests and the regression analyses in your answer. If you were the president of the company, would these results make you be worried about a lawsuit?

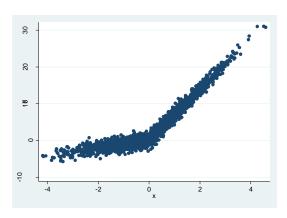
IV. Short answer. Answer *both* of the following questions. (15 points each, 30 points total.) In each of the following problems, a researcher runs through a sequence of commands. Explain why she didn't stop after the first command, i.e. explain what the purpose of each subsequent command was, what it told her, and why she did not run additional commands after the last one. If she had stopped after the first command, what would the consequences have been, i.e. in what ways would her conclusions have been incorrect or misleading?

## 1.

#### . reg y x

	SS 68744.4388 16145.2885				Number of obs F( 1, 2291) Prob > F R-squared	= 9754.77 = 0.0000 = 0.8098	
·	84889.7273	2292	37.0374028		Adj R-squared Root MSE	= 0.8097 = 2.6547	
у	Coef.	Std. E	Err. t	P> t	[95% Conf.	Interval]	
x   _cons	3.94874 3.328859	.03998			3.870337 3.220145	4.027142 3.437573	

#### . scatter y x



- . mkspline xlow 0 xhigh = x
- . reg y xlow xhigh

_	Source	SS 	df	1	MS		Number of obs F( 2, 2290)	= 22 =41359.	
	Model   Residual						Prob > F R-squared Adj R-squared	= 0.00 = 0.97	00 31
	Total	84889.7273	2292	37.03	74028		Root MSE	= .999	
_	у	Coef.	Std. I	Err.	t	P> t	[95% Conf.	Interva	1]
	xlow   xhigh   _cons		.0290 .0294 .03480	706 2	35.10 235.28 1.38	0.000 0.000 0.169	.9630619 6.875907 020337	1.0770 6.991 .11615	49
-									-

## 2.

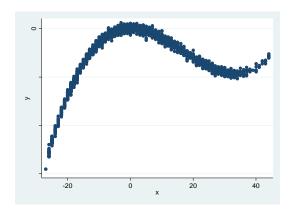
#### . reg y x

Model   Residual	· 	1 2291	4.78 124	56e+10 108295	Number of obs F( 1, 2291) Prob > F R-squared Adj R-squared Root MSE	= = = =	385.60 0.0000 0.1441 0.1437
y   x   _cons	272.3303		 839	19.64 -52.05	 [95% Conf. 245.1343 -12565.23	29	terval]  99.5262 1652.79

#### . ovtest

Ramsey RESET test using powers of the fitted values of y Ho: model has no omitted variables  $F\left(3\text{, }2288\right)\text{ = }94189.71$  Prob > F = 0.0000

#### . scatter y x



- $. gen x2 = x^2$
- $gen x3 = x^3$
- . reg y x x2 x3

Source	SS 	df	MS		Number of obs F( 3, 2289)		2293
Model   Residual	3.2990e+11 2.2843e+09	3 2289	1.0997e+11 997934.435		Prob > F R-squared Adj R-squared	= =	0.0000 0.9931 0.9931
Total	3.3219e+11	2292	144933916		Root MSE	=	998.97
у	Coef.	Std.	Err. t	P> t	[95% Conf.	In	terval]
x   x2   x3   _cons	.3380926 -50.07069 .9974231 24.94746	2.407 .096 .0039 30.93	5471 -519.02 9199 254.45	0.888 0.000 0.000 0.420	-4.383621 -50.25987 .9897362 -35.71402	-4	.059806 9.88151 1.00511 5.60894

#### . ovtest

Ramsey RESET test using powers of the fitted values of y Ho: model has no omitted variables  $F(3,\ 2286)\ = \qquad 0.87$   $Prob\ >\ F\ = \qquad 0.4561$