

Statistics for the Life Sciences

Math 20340 Section 01, Fall 2009

Homework 11 Solutions

- **10.35:**
 - **a:** The p -value is between 2% and 5%; so the difference is significant (we reject H_0 at 5%) but not highly so (we do not reject H_0 at 1%)
 - **b:** (0.014, .586)
 - **c:** We would need at least 62 pairs (assuming s_d^2 stays at .16)

- **10.40:** The description seems to suggest a one-tailed test, but part a) seems instead to ask for a two-tailed test; I've done both.
 - **a:** $\mu_d = -16.77$ (taking Albertsons–Ralphs); $s_d = 11.18$. Assuming differences are normally distributed, test statistic (which has value -2.998) is a t distribution with 3 d.o.f.
The critical values are $t_{.05} = 2.353$, $t_{.025} = 3.182$. So, if we are doing the two-tailed test $H_0 : \mu_d = 0$ against $H_a : \mu_d \neq 0$, the results are not significant; but if we are doing the one-tailed test $H_0 : \mu_d = 0$ against $H_a : \mu_d < 0$, the result is significant (we would reject null at 5% but not at 1%).
 - **b:** Two-tailed test: p -value is between 5% and 10%. One-tailed test: p -value is between 2.5% and 5%
 - **c:** $(-49.43, 15.89)$. At 1% significance, can't detect a difference between the averages

- **10.41:**
 - **a:** There are two populations: drivers approaching Prohibitive signs, and drivers approaching Permissive signs. A random sample of drivers has been picked, and presented with Prohibitive signs. Then that *same* random sample is presented with Permissive signs. So there is a pairing of the two random samples: first driver in first sample goes with first driver of second sample, etc.
 - **b:** The p -value is $< 1\%$, so there is a significant difference
 - **c:** (80.47, 133.32)